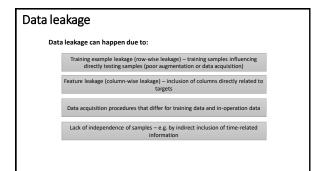
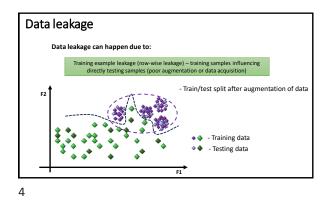
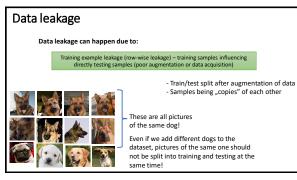


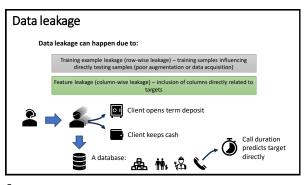
Data leakage occurs, when the decision system Data leakage (e.g. a classifier) uses information during training and initial testing that will not be present in-operation. Data leakage can be viewed also as a *"hidden overfitting"* phenomenon: A model learns patterns that are not general but present only in the particular setup of training data. Batch of data reflecting real distribution Decisions New data + Additional (from real information distribution) Al model learns patterns in data 2

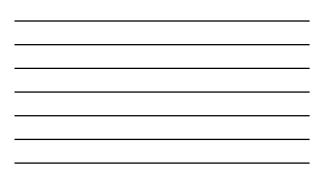


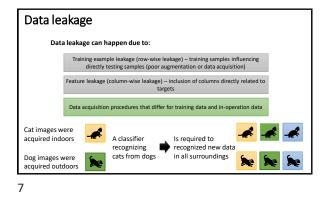


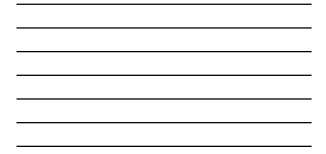


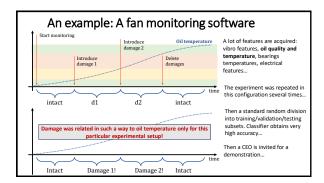




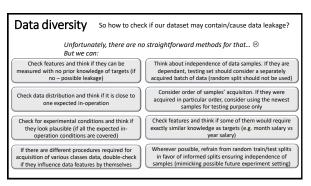


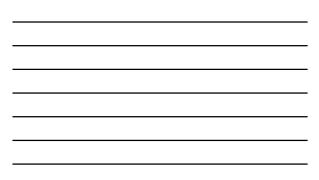


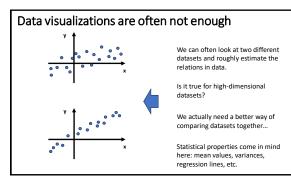


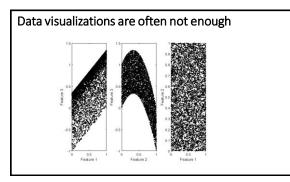


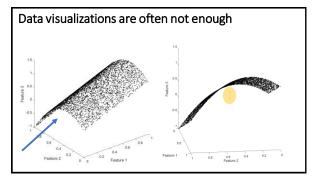




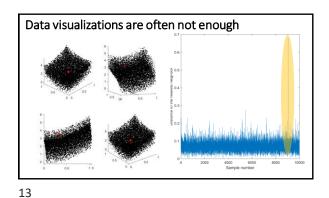


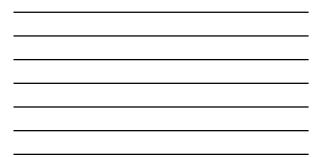


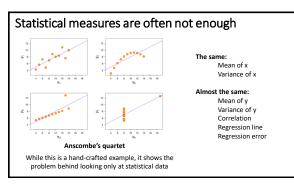


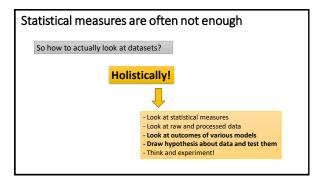








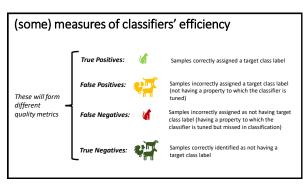




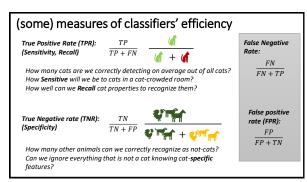
## (some) measures of classifiers' efficiency

Consider a classifier for recognizing cats from other animals Lets order animals and test our classifier on them. We are assuming, that classifier "targets" one class. Say: cats So it answers a question "Is this a cat?". The answer can be **Positive** or **Negative** 

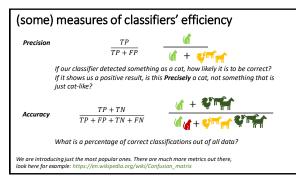




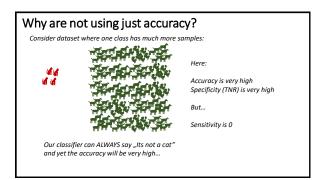


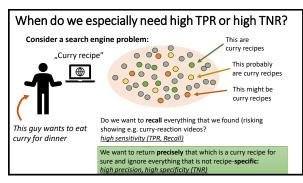




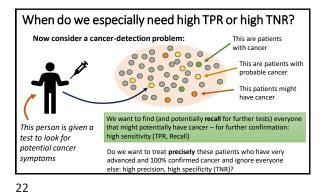


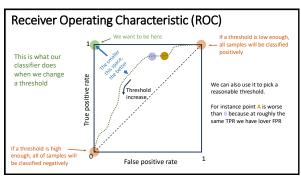






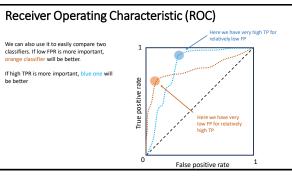


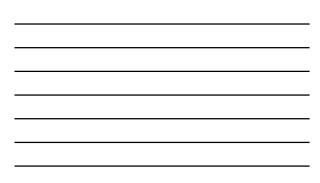


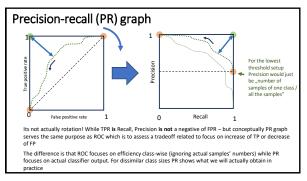


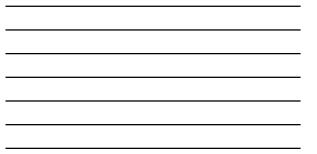




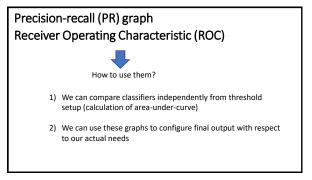


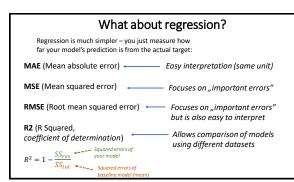




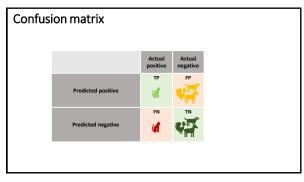


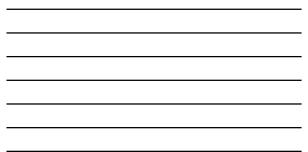


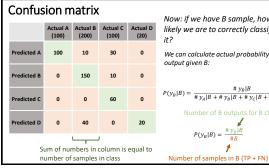


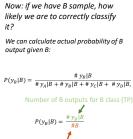












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### **Confusion matrix**

We can use confusion matrix for: - Estimation of probability of correct classification

- Estimation of probability of class presence

- Experiment planning (which classes require more samples)

- Model tuning (which classes require higher accuracy)

Now: classifier says "A" – what does that mean?

If distribution of testing set reflects reality, we can calculate actual probability of A given A output:

 $P(A|y_A) = \frac{\#\,y_A|A}{\#\,y_A|A + \#\,y_A|B + \#\,y_A|C + \,\#\,y_A|D,}$ 

Number of A outputs for A class (TP)

¥  $P(A|y_A) = \frac{\# y_A|A}{\# y_A}$ 1 Number of A outputs (TP + FP)

#### Gentle introduction to bayes rule

Imagine that we have a weather forecast classifier that calculates probability of snow the next day

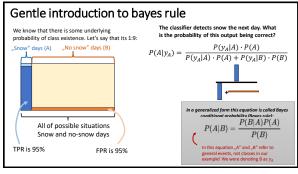
The classifier is really good, it has overall 95% accuracy, Snow prediction is as well 95% specific and 95% sensitive (snow is predicted for 5% of not-snow days and 5% of snow days is not predicted)

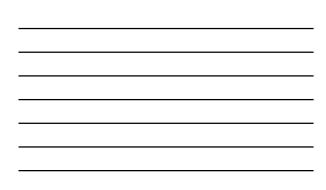
# The classifier detects snow the next day. What is the probability of this output being correct?

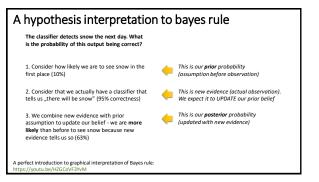
What is the answer if we know that only 10% of days are snowy?

What if we have this answer in the middle of June?

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#### Things to remember:

- Data leakage: explain the problem, four main sources for it, provide at least two different practical examples
  Explain risks related to assessment of data using only visual or only statistical means, explain what are important aspects to consider when looking at a new dataset
  Define what is a false positive, true positive, false negative and true negative indication, provide a practical example
  Define classifier metrics: FPR, TPR, FNR, TNR, Precision, Accuracy, Recall, Sensitivity, Specificity
  Draw examples of ROC and PR diagrams, describe elements and show how threshold setup affects the curves, explain how two different classifiers can be compared on one diagram
  Explain how ROC and PR diagrams, are different from usage perspective and how are they similar (what purpose do they serve)
  Explain how are of a confusion matrix, explain how can it be used to improve experiment or understand classification outcomes
  Draw a arganical intergretation of a fayes rule, explain probability of correct classification given TPR, FPR and class prevalence